Gold bach conjecture never can be easy to solve

With attention to Gold Bach table lists for even numbers basis on [{ $X - [(P_n)^2 + (P_n * y)] = P_m$}] we will find that the solving of this conjecture via the mentioned way [*Gold Bach table lists for even numbers basis on [{ $X - [(P_n)^2 + (P_n * y)] = P_m$}]*] is **equivalent** to determining the quantity of primes in vertical columns of a Gold Bach table list for given even numbers

$$X - [(P_n)^2 + (P_n * y)] = P_m$$

In up mentioned equation

{ X }, are given even numbers for Gold Bach partition

{ P_n }, are set of the primes in interval {3, $\sqrt{X}$ } $\{P_2 = 3, P_3 = 5, P_4 = 7, P_5 = 11, \ldots, P_n \leq \sqrt{X}\}$

{ P_m}, are set of the primes in interval {3, X } $\{P_2 = 3, P_3 = 5, P_4 = 7, P_5 = 11, \ldots, P_m \leq X\}$

{ y }, are set of the even numbers $\{0, 2, 4, 6, \ldots, etc\}$

In Gold Bach table lists there are columns for each of the prim numbers { $P_n \leq \sqrt{X}$ }

The important property and specialty of Gold Bach equation or [*Gold Bach table list basis on* { $X - [(P_n)^2 + (P_n * y)] = P_m$}] is; the primes, { $P_m \leq X$ } that are product and result of Gold Bach equation, [{ $X - [(P_n)^2 + (P_n * y)] = P_m$}] never can be written as a Gold Bach partition basis on given number, { X }

For example:

$$X - [(P_n)^2 + (P_n * y)] = P_m \rightarrow 202 - [(P_5)^2 + (P_5 * 4)] = P_{12} \rightarrow 202 - [(11)^2 + (11 * 4)] = 37$$

$$202 - 165 = 37 \rightarrow 202 = 165 + 37 \rightarrow X = composite + prim \rightarrow \{X = composite + prim\} = \text{un Gold Bach partition}$$

And vice versa of it

$$X - [(P_n)^2 + (P_n * y)] \neq P_m \rightarrow 202 - [(P_?)^2 + (P_? * 4)] \neq P_m \rightarrow 202 - [(P_n)^2 + (P_n * 4)] \neq 53$$

$$202 - 149 = 53 \rightarrow 202 = 149 + 53 \rightarrow X = prim + prim \rightarrow \{X = prim + prim\} = \text{Gold Bach partition}$$

Then the Gold Bach conjecture can be express:

There is not any given number { $X > 4$ } witch can product and generate all primes {$P_m \leq X$} in interval {3, X } basis on { $X - [(P_n)^2 + (P_n * y)] = P_m$}

Now for proving above expression we should know how many of primes in interval {3, X } can be presence in a Gold Bach table list for given number { X } basis on { $X - [(P_n)^2 + (P_n * y)] = P_m$}

For example below are two columns basis on { $X - [(P_n)^2 + (P_n * y)] = P_m$ } for the given number { $X = 7796$ } in case { $P_4 = 7$ } and { $P_5 = 11$ } as { $7796 - [(7)^2 + (7 * y)] = P_m$} *and* {$7796 - [(11)^2 + (11 * y)] = P_m$}

$X - [(P_4)^2 + (P_4 * y)] = P_m \rightarrow 7796 - [(7)^2 + (7 * y)] = P_m$

7747															61					
7705	5					23										67				
7663																			79	
7621																				
7579		11	13										53							
7537																				
7495	5																			
7453							29													
7411																				
7369																				
7327				17																
7285	5							31				47								
7243																				
7201					19															
7159																				
7117		11																		
7075	5																			
7033			13																	
6991																				
6949																				
6907																				
6865	5																			
6823																				
6781																				
6739						23														
6697									37											
6655	5	11																		
6613				17																
6571																				
6529																				
6487			13																	
6445	5																			
6403					19															
6361																				
6319																	71			
6277																				
6235	5						29				43									
6193		11																		
6151																				
6109										41										
6067																				
6025	5																			
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5899				17																
5857																				
5815	5																			
5773						23														
5731		11																		
5689																				
5647																				
5605	5				19									59						
5563																				
5521																				
5479																				
5437																				
5395	5		13																	83
5353													53							
5311												47								
5269		11																		
5227																				
5185	5			17											61					
5143									37											
5101																				
5059																				
5017							29													
4975	5																			
4933																				
4891																67		73		
4849			13																	
4807		11			19	23														
4765	5																			
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4639																				
4597																				
4555	5																			
4513																				
4471				17																
4429											43									
4387										41										
4345	5	11																	79	
4303			13																	
4261																				
4219																				
4177																				
4135	5																			
4093																				
4051																				
4009					19															
3967																				
3925	5																			
3883		11																		
3841						23														
3799							29													
3757			13	17																
3715	5																			
3673																				
3631																				

$X - [(P_5)^2 + (P_5 * y)] = P_m \rightarrow 7796 - [(11)^2 + (11 * y)] = P_m$

7675	5																			
7609		7																		
7543					19															
7477																				
7411																				
7345	5		13																	
7279							29													
7213																				
7147		7																		
7081																		73		
7015	5					23									61					
6949																				
6883																				
6817				17																
6751											43									
6685	5	7																		
6619																				
6553																				
6487			13																	
6421																				
6355	5							31		41										
6289					19															
6223		7																		
6157												47								
6091																				
6025	5																			
5959														59						
5893																	71			83
5827																				
5761		7																		
5695	5			17												67				
5629			13																	
5563																				
5497						23														
5431																				
5365	5						29		37											
5299		7																		
5233																				
5167																				
5101																				
5035	5				19								53							
4969																				
4903																				
4837		7																		
4771			13																	
4705	5																			
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4573				17																
4507																				
4441																				
4375	5	7																		
4309								31												
4243																				
4177																				
4111																				
4045	5																			
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3913		7	13								43									
3847																				
3781					19															
3715	5																			
3649										41										
3583																				
3517																				
3451		7		17			29													
3385	5																			
3319																				
3253																				
3187																				
3121																				
3055	5		13									47								
2989		7													61					
2923									37										79	
2857																				
2791																				
2725	5																			
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2527		7			19															
2461						23														
2395	5																			
2329				17																
2263								31										73		
2197			13																	
2131																				
2065	5	7												59						
1999																				
1933																				
1867																				
1801																				
1735	5																			
1669																				
1603		7																		
1537							29						53							
1471																				
1405	5																			
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3799							29													
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3715	5																			
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3631																				
3589									37											
3547																				
3505	5																			
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3379								31												
3337												47					71			
3295	5																			
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3169																				
3127													53	59						
3085	5																			
3043				17																
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2959		11																		
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2875	5					23														
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2245	5																			
2203																				
2161																				
2119			13																	
2077								31								67				
2035	5	11							37											
1993																				
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1867																				
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1069																				
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985	5																			
943						23				41										
901				17									53							
859																				
817					19						43									
775	5							31												
733																				
691																				
649		11												59						
607																				
565	5																			
523																				
481			13						37											
439																				
397																				
355	5																71			
313																				
271																				
229																				
187		11		17																
145	5						29													
103																				
61																				
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1405	5																			
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1273					19											67				
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1141		7																		
1075	5										43									
1009																				
943						23				41										
877																				
811																				
745	5																			
679		7																		
613																				
547																				
481			13																	
415	5																			83
349																				
283																				
217		7						31												
151																				
85	5			17																
19																				

As we can see in the right hand of the blue columns there are some small columns that are divisors of the values in the main blue columns, the divisors are prim numbers, and the values that have no any of the divisors in front of them are prim numbers

Now for determining the primes values in main blue columns we have some problems as down

1- The divisors are prim number and the primes are **irregular** set {at least, seemingly} then it is difficult to determine the next aim for the irregular numbers

2- The start line and jumping off place for each one of the divisors {as jumpers} are different and irregular that it makes double disordering { disordering in disordering } then it will not be possible to determine exact and precisely the quantity of un repeated primes in Gold Bach table list columns basis on{ $X - [(P_n)^2 + (P_n * y)] = P_m$}

3- For Gold Bach conjecture reason we should exactly and precisely know how many of un repeated primes are in a Gold Bach table list for given numbers { X }, in interval {3, X } but with the last found formula for determining the primes in interval {1, X } the mathematicians only have ability to determine the primes in interval {1, X } with a good **approximation** { ***not precisely*** }and this is in case of no irregular jumping off place

For explaining the operation of divisors columns put each one of the divisors are as a locust { jumper insect } and each one of the locust have one of the prim numbers that it shows the quantity of the cells for each jump of the locusts

For minimizing the up mentioned columns only we show the numbers in form {6n + 1} because in table list for up mentioned example, { $X = 7796$ } → {$7796 = 6n + 2$ } *all of the primes in forms* { $6n - 1$ } *and* { $6n - 3$ } *in interval {3, X } are presence, {because the first column {* $P_2 = 3$ *} have all numbers in form {* $6n - 1$ *} in interval {3, X } then there is no any Gold Bach partition for primes in form {* $6n - 1$ *} basis on* { $X = 7796 = 6n + 2$ } *} therefore it is not necessary to determine the primes in form {* $6n - 1$ *} for mentioned example and only determining primes in form,* {$6n + 1$ *} will be enough }*

In the end, Gold Bach table list is a way for study about some theory numbers problems as Gold Bach conjecture and twin primes and etc

The introduced way for study about Gold bach conjecture is one of the thousands ways for study about GB conjecture it shows clearly how the primes and GB partitions are forming among the numbers and also solving the GB conjecture depends to probability and randomness math; but also it can be as a climbing up the mountain via difficult or impossible path of it while there are many other paths for easy climbing in the mentioned mountain

The article and samples for Gold Bach table lists are available in web site {mrserajian.ir}

Key words: Gold bach conjecture; Gold bach conjecture never can be easy to solve; Gold bach table;

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8/6/2017